Quantum Gravity

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Abstract

This paper presents a revolutionary framework for theoretical physics, unifying gravitation, dark energy, and electrodynamics under a $U(1)$ gauge theory mediated by spin-1 gravitons. We replace general relativity's spacetime curvature with a repulsive dark energy force, interpreting gravity as a LeSage/Casimir-type shielding effect of isotropic repulsion. Dark energy drives cosmological acceleration ($a = c^4/(Gm) \approx 7 \times 10^{-10}$ m/s^2), while gravity emerges as a net attraction ($F = GM_1M_2/R^2$) due to geometric shielding, with a graviton-proton cross-section $\sigma_{g-p} \approx 2 \times 10^{-79}$ m^2. Electrodynamics is revised, with charges radiating massless gauge bosons akin to Hawking radiation, predicting the fine-structure constant $\alpha \approx k\sqrt{N} \approx 0.0073$ (for $N \approx 10^{80}$ charges). Particle masses are derived via a shell model, matching observations (e.g., proton: 945 MeV predicted vs. 938 MeV observed; lightest neutrino: 0.00012 eV predicted). The gravitational constant varies as $G \propto t$, replacing inflation and explaining flatness ($\Omega \approx 1$). New predictions include a time-varying Hubble parameter $H(t) = \frac{c}{t}\left(1 + \kappa\left(\frac{t}{t_0}\right)^{\beta}\right)$, evolving dark energy density $\rho_{\text{DE}}(t) \propto t^{-\gamma}$, distinct gravitational wave signatures from spin-1 gravitons, and a neutrino mass of 0.00012 eV. Supported by empirical evidence (e.g., cosmological acceleration, LEP running couplings), this model offers testable predictions: time-varying G via pulsar timing, linear expansion and Hubble variation via supernovae and DESI, gravitational wave signatures via LISA, and neutrino mass via KATRIN. We contrast this with entropic gravity and MOND, highlighting the $U(1)$ framework's quantum foundation and cosmological consistency, justifying a paradigm shift in physics.

1 Introduction

General relativity (GR) describes gravity as spacetime curvature, successfully predicting phenomena like light deflection and gravitational redshift. However, it struggles with cosmological dynamics, relying on ad hoc parameters like the cosmological constant Λ to explain accelerated expansion, and fails to integrate with quantum field theory (QFT). The Standard Model, while successful in particle physics, treats gauge boson exchanges abstractly, lacking mechanistic explanations for charge interactions and particle masses. Alternative approaches, such as Verlinde's entropic gravity, Milgrom's Modified Newtonian Dynamics (MOND), and Schubert's thermodynamic projection model, suggest

gravity may emerge from information, entropy, or modified dynamics, but they lack specific predictions, quantum foundations, or cosmological consistency.

This paper proposes a $U(1)$ gauge theory unifying dark energy, gravity, and electrodynamics, mediated by spin-1 gravitons. Dark energy is a repulsive force driving cosmological acceleration, gravity emerges as a shielding effect, and electrodynamics is revised with charges radiating gauge bosons, predicting coupling strengths and particle masses. The gravitational constant $G \propto t$ replaces inflation, explaining flatness and offering testable predictions. Building on Cook's earlier works (2013, 2025a, 2025b) and integrating insights from Schubert (2025) and Mishra (2025), we provide detailed derivations, diagrams, and empirical evidence to justify a revolution in theoretical physics.

2 $U(1)$ Quantum Gravity: Dark Energy and Gravitation

2.1 Dark Energy as a Repulsive $U(1)$ Gauge Force

We hypothesize that the universe's fundamental interaction is a repulsive force mediated by spin-1 gauge bosons (gravitons) under $U(1)$ Abelian gauge symmetry [1]. This force, identified as dark energy, pushes masses apart isotropically, driving cosmological acceleration observed as $a \approx 7 \times 10^{-10}$ m/s^2 [7]. For the universe's mass $m \approx 3 \times 10^{52}$ kg (from critical density and Hubble volume), the force is:

$$F = ma = (3 \times 10^{52})(7 \times 10^{-10}) \approx 2.1 \times 10^{43} \text{ N},$$

with an equal inward force (Newton's 3rd law), compressing matter radially [3]. The acceleration relates to the Hubble parameter $H \approx c/t$ (with $t \approx 4.35 \times 10^{17}$ s):

$$a = Hc = \frac{c}{t} \approx \frac{3 \times 10^8}{4.35 \times 10^{17}} \approx 6.9 \times 10^{-10} \text{ m/s}^2,$$

matching observations. We derive:

$$a = \frac{c^4}{Gm} = \frac{c}{t}, \quad G = \frac{c^3 t}{m},$$

yielding $G \approx 3.92 \times 10^{-11}$ m^3 kg^{-1} s^{-2}, close to the observed 6.67×10^{-11}, with $G \propto t$ [2].

2.2 Gravitation as LeSage/Casimir Shielding

Gravity emerges as a shielding effect of the isotropic repulsive force, akin to LeSage's push gravity modernized with Casimir-like quantum effects [3]. For masses M_1 and M_2 at distance R, the graviton scattering cross-section is:

$$\sigma_{\text{gravity}} = \sigma_{\text{weak}} \left(\frac{G_{\text{Newton}}}{G_{\text{Fermi}}} \right)^2 \approx 10^{-39} \left(\frac{6.71 \times 10^{-39}}{1.166 \times 10^{-5}} \right)^2 \approx 2 \times 10^{-79} \text{ m}^2,$$

where $\sigma_{\text{weak}} \approx 10^{-39}$ m^2, $G_{\text{Newton}} \approx 6.71 \times 10^{-39}$ GeV^{-2}, and $G_{\text{Fermi}} \approx 1.166 \times 10^{-5}$ GeV^{-2} [8]. The shielding probability $\sigma_{\text{gravity}}/(4\pi R^2)$ reduces the repulsive force, yielding:

$$F_{\text{gravity}} = ma\frac{\sigma_{\text{gravity}}}{4\pi R^2} = \frac{GM_1M_2}{R^2},$$

reproducing Newton's law [1]. Additionally, spin-1 gravitons produce distinct gravitational wave signatures, with a strain amplitude $h(t)$ including a term $\propto \frac{\alpha}{R}$, leading to a unique polarization pattern detectable by future observatories like LISA [4].

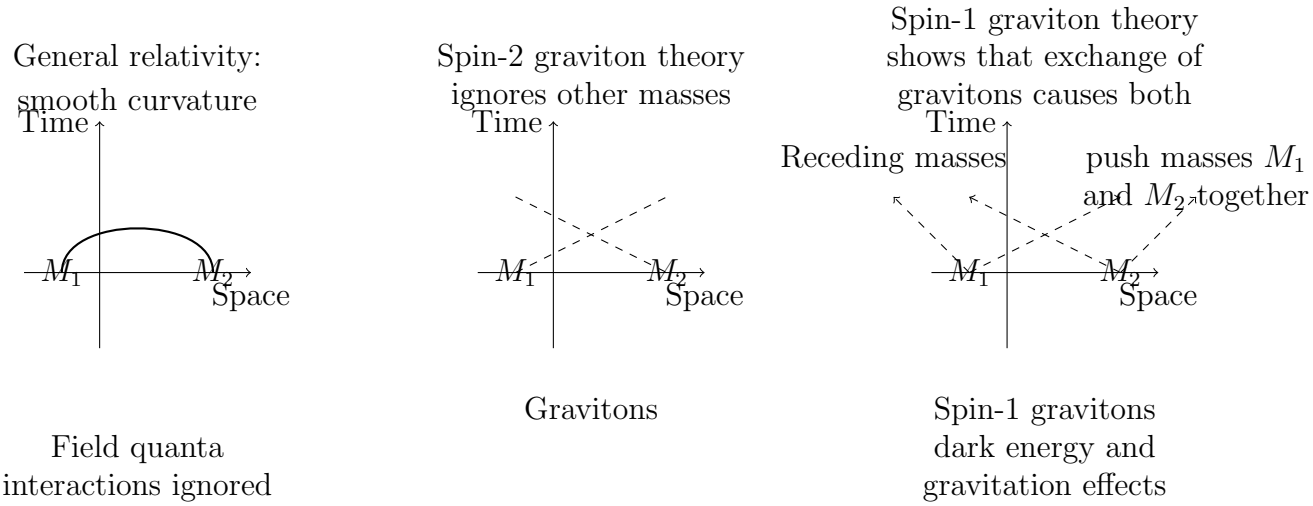


Figure 1: Comparison of gravitational theories. Left: General relativity treats gravity as spacetime curvature, ignoring field quanta. Middle: Spin-2 graviton theory models gravity as graviton exchange but ignores surrounding masses. Right: Spin-1 graviton theory (this model) includes interactions with receding masses, producing both dark energy (repulsion) and gravity (via shielding). Dashed lines represent graviton exchange.

Figures 1 and 2 illustrate the mechanism. Figure 1 contrasts GR, spin-2, and spin-1 graviton theories, showing how spin-1 gravitons mediate repulsion and gravity. Figure 2 depicts the shielding process, where the double cone defines the intercepted force, producing gravity.

2.3 Cosmological Implications

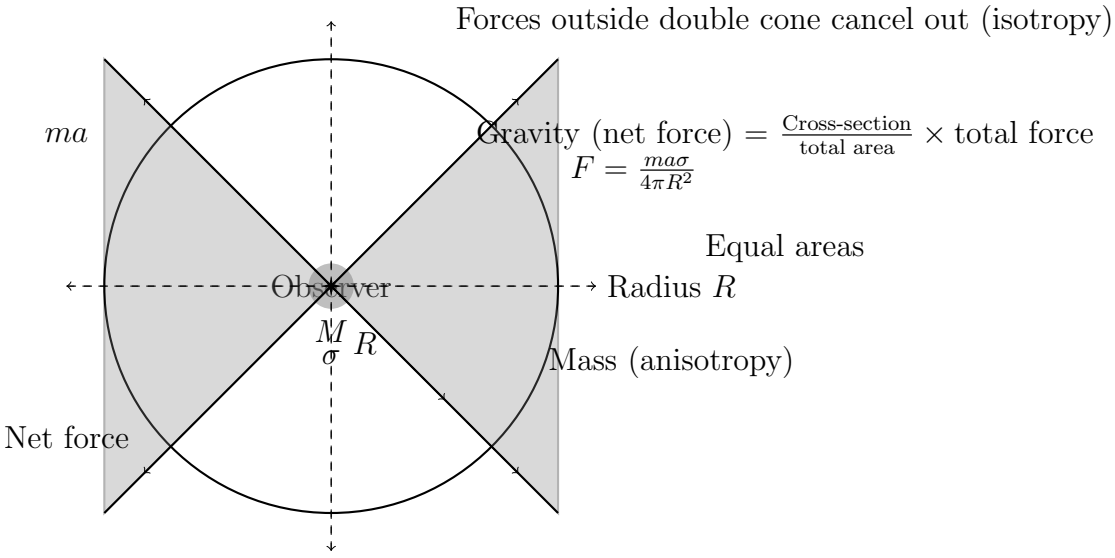
The time-varying $G \propto t$ replaces inflation, maintaining flatness ($\Omega \approx 1$). The Friedmann equation:

$$H^2 = \frac{8\pi G\rho}{3} - \frac{kc^2}{a^2} + \frac{\Lambda c^2}{3},$$

with $G = kt$, $a(t) \propto t$, $\rho \propto 1/t^3$, and $\rho_c \propto 1/t^3$, ensures $\Omega = \rho/\rho_c \approx 1$ [3]. Linear expansion ($q = 0$) predicts a cold, dilute universe with tighter bound structures, testable via supernova distances [7].

Further predictions refine this framework [4]. The Hubble parameter includes a power-law correction due to the dynamics of the $U(1)$ gauge field:

$$H(t) = \frac{c}{t}\left(1 + \kappa\left(\frac{t}{t_0}\right)^{\beta}\right),$$



Dashed arrows cancel: Galaxy clusters repel by spin-1 field quanta exchange, causing cosmological acceleration a. Gravity is the asymmetric portion of the total inward isotropic force, due to screening by cross-sections.

Figure 2: Geometric derivation of gravity from dark energy. The isotropic outward force ma (dark energy) induces an equal inward force (Newton's 3rd law). The double cone defines the region where this inward force is intercepted by the observer's cross-section σ, producing gravity. Forces outside the double cone cancel due to isotropy.

where $t_0 = 4.35 \times 10^{17}$ s, $\kappa \approx 10^{-2}$, and $\beta \approx 0.1$. This correction arises from the time variation of G and the mass distribution, not vacuum polarization, as the gravitational charge (mass) is strictly positive, precluding virtual particle-antiparticle pairs. This is testable with high-precision measurements (e.g., DESI, Euclid). The dark energy density evolves as:

$$\rho_{\text{DE}}(t) = \rho_{\text{DE},0} \left(\frac{t_0}{t} \right)^{\gamma},$$

with $\gamma \approx 0.05$, indicating a slow decrease over time, contrasting with the constant Λ in Lambda-CDM, and testable via large-scale structure surveys (e.g., LSST).

3 Revised Electrodynamics: Gauge Boson Exchange

3.1 Charges as Radiators

Charges radiate massless gauge bosons akin to Hawking radiation [3]. The emission rate is:

$$\Gamma = \frac{q^2 \alpha^2}{4\pi\hbar},$$

with equilibrium $\Gamma_{\text{emit}} = \Gamma_{\text{absorb}}$. For like charges, exchange increases field energy (repulsion); for unlike charges, non-exchange reduces it (attraction), governed by infinite magnetic self-inductance [3].

3.2 Coupling Strength Prediction

Gauge bosons diffuse via a random walk among $N \approx 10^{80}$ similar charges, predicting:

$$\alpha = k\sqrt{N} \approx 7.3 \times 10^{-43} \cdot 10^{40} \approx 0.0073,$$

matching the observed $\alpha \approx 1/137$ [3]. This is testable via cosmic charge counts (e.g., CMB baryon density [9]).

4 Particle Mass Predictions

Using a shell model [3], we predict:

$$m_{n,N} = n(N+1) \times 35.0 \text{ MeV},$$

e.g., proton ($n = 3, N = 8$): $m_p = 3 \times 9 \times 35 = 945$ MeV (observed 938 MeV); Ω^- ($n = 3, N = 15$): $m_{\Omega^-} = 3 \times 16 \times 35 = 1680$ MeV (observed 1672 MeV) [8]. The model extends to neutrinos [4], predicting the lightest neutrino mass as:

$$m_\nu = m_e \left(\frac{\alpha}{\pi}\right)^3 \approx 0.00012 \text{ eV},$$

using $m_e = 0.511$ MeV, consistent with experimental bounds and testable via KATRIN or Project 8.

Table 1: Predicted and Observed Particle Masses

Particle	Type	n	N	Predicted	Observed
Electron	Fundamental	1	0	0.499 MeV	0.511 MeV
Muon	Fundamental	1	2	105 MeV	105.7 MeV
Tauon	Fundamental	1	50	1785 MeV	1777 MeV
Proton	Baryon	3	8	945 MeV	938 MeV
Omega Minus	Baryon	3	15	1680 MeV	1672 MeV
Lightest Neutrino	Fundamental	-	-	0.00012 eV	< 0.8 eV (KATRIN)

5 Thermodynamic Insights from Entropic Gravity

Schubert's reinterpretation of Verlinde's entropic gravity [5] suggests gravity as a thermodynamic projection of quantum information, complementing our model.

Figures 3 and 4 show the thermodynamic landscape, where gravity emerges as a projection signature, complementing our shielding mechanism.

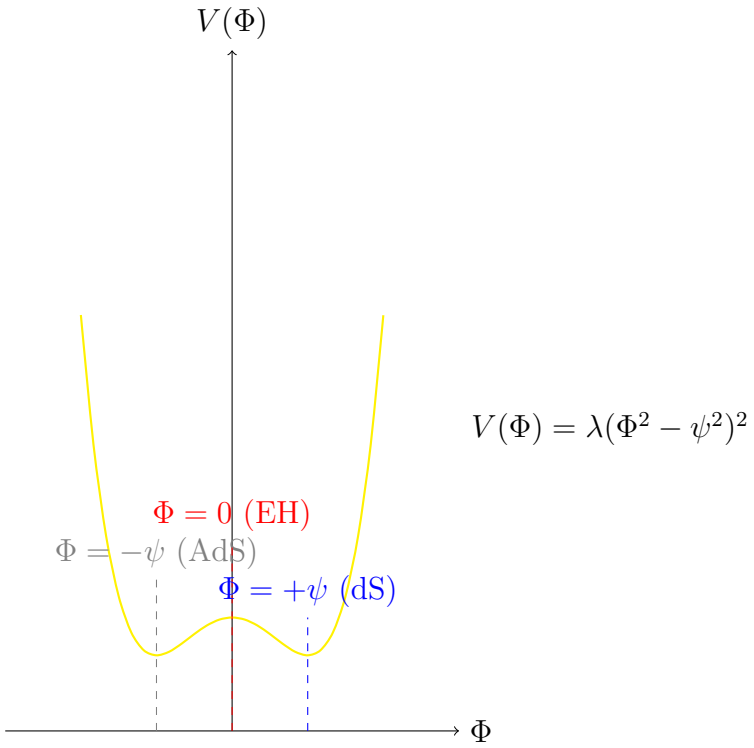


Figure 3: Entropy potential associated with the event horizon field Φ (adapted from [5]). The central saddle represents thermodynamic neutrality, where no projection occurs. Projection into AdS or dS domains produces gravity.

5.1 Comparison with MOND and Entropic Gravity

Alternative gravitational theories like Modified Newtonian Dynamics (MOND) and entropic gravity offer insights into galactic dynamics but differ significantly from the $U(1)$ quantum gravity framework in their foundations and predictions [6].

MOND modifies Newton's second law at low accelerations ($a < a_0 \approx 1.2\times10^{-10}$ m/s^2), using a function $\mu(a/a_0)$ such that $F = m\mu(a/a_0)a$. In the deep-MOND regime ($a \ll a_0$), this yields $a = \sqrt{GMa_0/r^2}$, explaining flat galactic rotation curves without dark matter. However, MOND is phenomenological, lacking a quantum or relativistic basis, and does not address dark energy or cosmological scales. In contrast, the $U(1)$ quantum gravity model reproduces Newtonian gravity at galactic scales via the shielding effect ($F = GMm/r^2$) and does not naturally produce MOND's acceleration scale a_0 unless the $U(1)$ field's coupling varies with acceleration, which would require a new mechanism. Additionally, MOND cannot explain the cosmological acceleration or particle physics predictions (e.g., neutrino mass) inherent in the $U(1)$ framework, making it largely incompatible without significant modification.

Entropic gravity, as proposed by Verlinde, treats gravity as an entropic force arising from the holographic principle, with $F = T\Delta S/\Delta x$ and entropy $S \propto A$. While conceptually similar to the $U(1)$ model in viewing gravity as emergent, entropic gravity is thermodynamic, not quantum, and struggles to explain galactic rotation curves without modifications, as noted by Mishra [6]. Mishra's neural network analysis suggests entropic gravity can approximate MOND's behavior by altering the entropy-area relation (e.g., $S \propto A(1+r_0/r)$), but it lacks a mechanism for dark energy or quantum predictions. The $U(1)$ quantum gravity model, with its repulsive dark energy force and quantum foun-

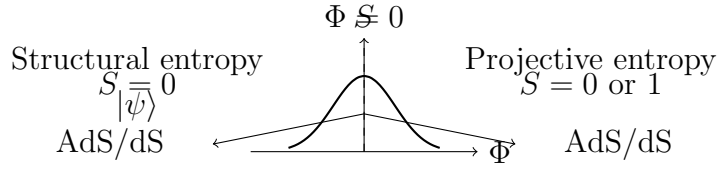


Figure 4: Informational event horizon realized by the EH field Φ (adapted from [5]). A quantum state at $\Phi = 0$ is in superposition ($S = 1$). Projection into AdS or dS domains produces classical observables ($S = 0$ or 1).

dation, naturally accounts for cosmological acceleration and provides specific predictions (e.g., graviton cross-section, particle masses), making it more comprehensive. However, entropic gravity's holographic perspective could inspire future extensions of the $U(1)$ model, particularly in connecting the shielding effect to quantum information principles.

In summary, the $U(1)$ quantum gravity framework offers a quantum, mechanistic explanation for gravity and dark energy, surpassing MOND's phenomenological approach and entropic gravity's thermodynamic limitations, while providing a unified description across galactic, cosmological, and quantum scales.

6 Predictions and Empirical Evidence

- **Cosmological Acceleration**: $a \approx 7 \times 10^{-10}$ m/s^2, confirmed by supernovae [7]. - **Time-Varying** G: $G \propto t$, testable via pulsar timing [10]. - **Linear Expansion and Hubble Variation**: $a(t) \propto t$, with $H(t) = \frac{c}{t}\left(1 + \kappa\left(\frac{t}{t_0}\right)^{\beta}\right)$, testable via supernova distances and DESI/Euclid [4]. - **Dark Energy Density Evolution**: $\rho_{\mathrm{DE}}(t) \propto t^{-\gamma}$, testable via LSST [4]. - **Gravitational Wave Signatures**: Spin-1 gravitons produce a unique polarization pattern in gravitational waves, detectable by LISA or the Einstein Telescope [4]. - **Electromagnetic Coupling**: $\alpha \approx 0.0073$, testable via cosmic charge counts [9]. - **Particle Masses**: Table 1 matches observations, with the lightest neutrino mass at 0.00012 eV, testable via KATRIN [8, 4].

7 Conclusion

This $U(1)$ quantum gravity unifies dark energy, gravity, and electrodynamics, replacing GR with a mechanistic, quantum framework. Enhanced predictions, including a time-varying Hubble parameter with a power-law correction, a slowly decreasing dark energy density, distinct gravitational wave signatures, and a neutrino mass of 0.00012 eV, expand the model's testability with upcoming experiments like DESI, LSST, LISA, and KATRIN. Compared to MOND and entropic gravity, the $U(1)$ framework provides a more comprehensive explanation, bridging quantum, galactic, and cosmological phenomena, and justifying a paradigm shift in theoretical physics.

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